

2 Proposal

We introduce a novel mechanism that addresses the stated concerns, by utilizing a queue-based payout system to allow the protocol to sustain temporary overall insolvencies.

2.1 High Level Design Choices

The proposed mechanism allows for great flexibility with respect to game design, allowing game creators to specify:

- payout structure and odds
- house edge (+ or -)
- a solvency ratio invariant

without having to deal with:

- initializing or incentivizing a LP pool
- constraining bet size based on the LP pool
- designing token emissions

2.2 Payout Queue System

The core of the new mechanism is a novel payout queue. This system ensures that the protocol remains solvent while managing payouts efficiently and fairly.

After each gameplay iteration, a protocol implementing this mechanism evaluates its ability to pay out based on a predefined solvency ratio.

The queue logic is essentially:

1. a new wager is placed and wins
2. if a queue already exists:
 - (a) add wager to the end of the queue
 - (b) evaluate whether the front of the queue can be paid out, determined by the solvency ratio
 - (c) if yes, pay out the front of the queue
3. if no existing queue:
 - (a) evaluate whether the wager can be paid out, determined by the solvency ratio
 - (b) if yes, pay out the wager
 - (c) otherwise, create a queue of length one

2.3 Solvency Ratio Invariant

The Solvency Ratio Invariant (SRI) defines whether the protocol can pay out new wagers. The solvency ratio is defined as:

$$\text{Solvency Ratio} = \frac{(\text{ETH in the treasury}) + (\text{Eth in the queue})}{\text{Liabilities of the queue}} \quad (1)$$

The eth in the treasury is the protocol's accumulated eth from losses, edge, etc...

The eth in the queue is the total unpaid won input wagers (minus any taxes).

The liabilities of the queue is the total unpaid winnings of the above input wagers.

At one extreme, an SRI of 1.0 would require the protocol to be fully solvent in order to pay out any wager. In practice, this means that anytime the protocol would be insolvent, it will queue all subsequent won wagers until enough losses/edge builds up to pay the entire queue out.

At the other end, an SRI of 0.0 would indiscriminately pay out the front of the queue with subsequent wagers.

One elegant way to construct an SRI is to define it as:

$$\frac{(\text{ETH in the treasury}) + (\text{ETH in the queue})}{\sum_{i=1}^n \text{Wager}_i}, \text{ where } n \text{ is the queue length} \quad (2)$$

With this definition, the protocol can let the queued unpaid won wagers withdraw their input (forfeiting any winnings). This allows "stuck" participants to recoup some eth, while increasing the solvency of the remaining queue.

2.4 Yield-Bearing Wager Denominations

If the wager currency generates native yield, the queue system will naturally increase its solvency ratio over time.

2.5 Token Emissions

Token emissions enable games with a positive house edge to present as +EV for the player by immediately remunerating them with a liquid token. The basic emission framework features a linearly decreasing reward based on game iteration, encouraging early participation and initiating the flywheel effect.

A tax on wagers (similar to a house edge) can incentivize token ownership through a buy-and-burn mechanism, which will price in future cash flows. Additionally, token emissions can be linked to queue length to incentivize wagers when the protocol is temporarily insolvent and a queue exists.

3 Examples

In order to better demonstrate this mechanism, here are a few example simulations of different games of chance.

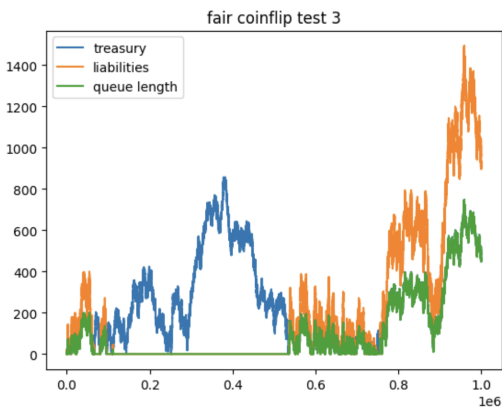
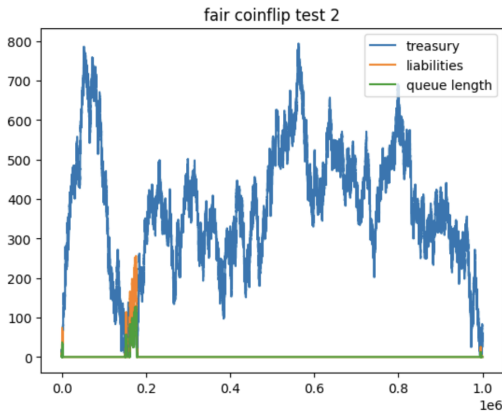
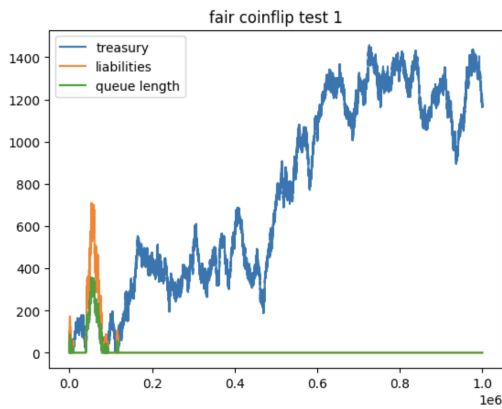
3.1 Fair Coin Flip

This protocol is defined as a perfectly fair coin flip, with no house edge or taxes included.

The payout structure is thus:

- 50% chance to win double the wager
- 50% chance of total loss

We then simulate one million iterations with input fee 1.



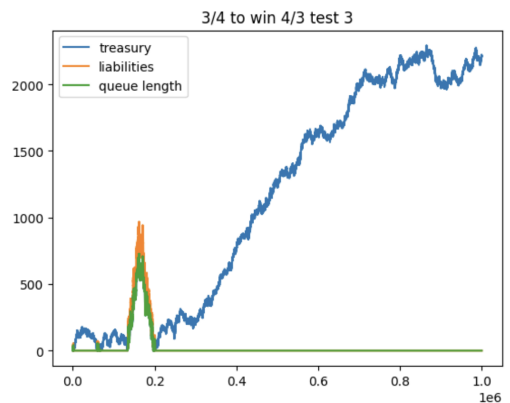
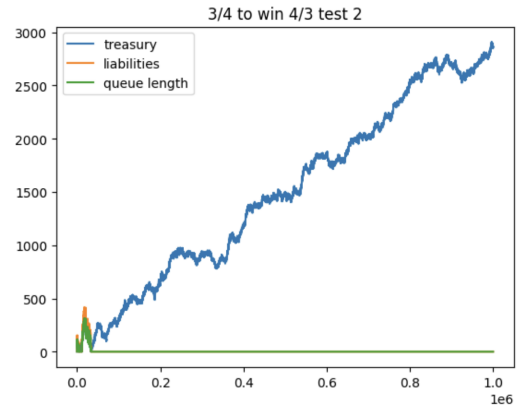
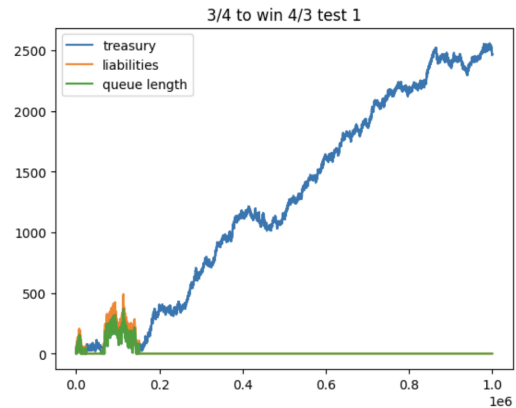
As demonstrated, the state of the perfectly fair coin flip game depends on the outcome variance - with no ability to accumulate treasury via edge, the treasury is vulnerable to bad runs at any point in its lifecycle. The queue mechanism allows the protocol to absorb this variance.

3.2 "3/4 Chance to Win 4/3"

The payout structure for this game is:

- 3/4 chance to win wager * 1.33
- 1/4 chance of total loss

The house edge in this game is thus 0.25%. We then simulate one million iterations with input fee 1.



4 Async vs Synchronous Games

A strong motivation for proposing this mechanism is to remove the constraints from launching an asynchronous game.

It is the author’s opinion that asynchronous games are far superior to synchronous games. Synchronous games, such as tournaments or peer-to-peer wagers require much higher levels of coordination, which often limits participation to those who can commit to being available at the same time as other players. Without enough player density, marginal participants may not be able to play on demand.

However, the LP requirements of asynchronous games often proves challenging to aspiring game designers, who may not be able to provide the bankroll, or have no desire to raise one. As a result, designers often default to parimutuel, synchronous game designs where players bring their own capital, thus alleviating the need for a large initial liquidity provision.

By introducing this mechanism and removing the LP requirement and bet size constraints, we hope to see the creation of more novel, asynchronous games.

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